

1. INTRODUCTION

The rainfall regime over the Plata Basin is strongly influenced by Mesoscale Convective Systems (MCSs) that develop during night time associated with the Low Level Jet (LLJ) to the east of Andes. As they are mesoscale systems, their predictability depends on the model resolution and ability in representing the main features associated with their development. Due to the lack of observed data on these regions, the studies have focused on the synoptic scale phenomena. However the influences of local scales, such as heating, mountain-valley circulation and secondary circulations, also play an important role in the genesis of MCSs.

2. OBJECTIVES

The objective of this study is to investigate the role of local and secondary circulations and the inertial oscillation on the development of MCSs that occur to the east of the Andes Cordillera.

3. METHODOLOGY

The Eta model (nonhydrostatic version) was integrated with 10 km and 38 vertical layers using Kain-Fritsch convection scheme. The initial and lateral boundary conditions were obtained from analyses of the NCEP (~35 km and 64 vertical layers). A composite of four cases of MCSs were chosen for the experiments (fig. 1). The model was integrated 72 hours prior to each MCSs. The first 24 hours of integration were discarded to avoid the adjustment period of the model. Due of local phenomena (local circulation and inertial oscillation) are embedded in the synoptic scale, it was not possible to analyze them directly in the dynamic fields of the model. The method used for the separation of these phenomena was the method of perturbations, described below:

$$VAR'(x, y, z, t) = VAR(x, y, z, t) - \overline{VAR}(x, y, z)$$
, wh

$$\overline{VAR}(x, y, z) = \sum_{t=ti}^{t=tf} \frac{VAR(x, y, z, t)}{t_f - t_i} , \text{ ti=25 and tf=73}$$

VAR are the variables used (temperature, zonal and meridional wind, omega)

To better represent the local circulation, the average of pertubations was calculated for the range of latitude of 25°S to 23°S given by:

$$\overline{VAR}'(x, z, t) = \sum_{y=y_i}^{y=y_f} \frac{VAR'(x, y, z, t)}{y_f - y_i} , \text{ yi=25^{\circ}S and y}$$

$$\overline{VAR}(x, z) = \begin{pmatrix} t = t_{df1} \overline{VAR'(x, z, t)} + t = t_{df2} \overline{VAR'(x, z, t)} \\ \frac{t = t_{di1}}{t_{df1} - t_{di1}} + t_{df1} - t_{di2} \overline{VAR'(x, z, t)} \\ 2 \end{pmatrix} \text{ tdial}$$

$$\overline{VAR}_{NOFF}(x, z) = \begin{pmatrix} t = t_{nf1} \overline{VAR'(x, z, t)} + t = t_{nf2} \overline{VAR'(x, z, t)} \\ \frac{t = t_{ni1}}{t_{nf1} - t_{ni1}} + t_{df1} - t_{di2} \overline{VAR'(x, z, t)} \\ \frac{t = t_{ni1}}{2} \overline{VAR'(x, z, t)} + t_{df2} \overline{VAR'(x, z, t)} \\ \frac{t = t_{ni2}}{2} \overline{VAR'(x, z, t)} \\ \frac{t = t_{ni1}}{2} \frac{VAR'(x, z, t)}{t_{nf2} - t_{ni2}} \\ \frac{t_{df2}}{t_{df2} - t_{di2}} \\ \frac{t_{df2}}{t_{df2} - t_{di2$$

THE INFLUENCE OF THE LOCAL CIRCULATION AND INERTIAL OSCILLATION **ON THE DEVELOPMENT OF THE MCSs**

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nere

vf=23°S

=17 GMT and tdf=19 GMT period of maximum heating)

=06 GMT and tnf=08 GMT eriod of maximum cooling)



